

MHF4U: The Remainder Theorem

- Identify the divisor, $ax - b$, and the remainder, when each polynomial is divided.
 - $f(7) = 9$
 - $g(-2) = 8$
 - $j\left(\frac{3}{5}\right) = -19$
 - $k\left(-\frac{4}{9}\right) = \frac{27}{13}$
- Determine the remainder for each division below. Verify your answers using either long or synthetic division.
 - $(x^3 + 9x^2 - 7x + 1) \div (x - 1)$
 - $(4x^4 + 6x^3 - 3x^2 - x + 2) \div (x + 2)$
 - $(-3x^5 - 7x^4 + 6x^3 - 3x^2 - 9x - 18) \div (x + 3)$
- Use the Remainder Theorem to determine the remainder when each polynomial is divided by the given binomial.
 - $f(x) = x^2 - 4x + 7; x - 5$
 - $g(x) = x^3 + 6x - 4; x + 3$
 - $j(x) = 3x^4 + x^2 - 3x + 1; x + 2$
 - $k(x) = 4x^5 - 12x^4 - 4x^3 + 18x^2 - 20x + 9; x - 3$
- Use the Remainder Theorem to determine the remainder when each polynomial is divided by the given binomial.
 - $f(x) = 2x^3 - 7x^2 + 19x - 17; 2x - 1$
 - $g(x) = 8x^4 - 2x^3 - 16x^2 + 16; 4x - 1$
 - $j(x) = 4x^4 - 6x^3 - 2x^2 + 11x - 19; 2x - 3$
 - $k(x) = 2x^5 + 5x^4 + 6x^2 + 11x - 4; 2x + 5$
- When $x^4 + kx^3 - 2x^2 - 7$ is divided by $x - 2$, the remainder is 33. What is the value of k ?
- For what value of b will $-2x^3 + bx^2 - 10x - 93$ have the same remainder when it is divided by $x + 2$ and by $x - 5$?
- When $5x^2 + 8x + 11$ is divided by $x - c$, the remainder is 15. Determine the possible value(s) of c .
- When $2x^3 + ax^2 + bx - 31$ is divided by $x + 2$ the remainder is -7 . When the same polynomial is divided by $x - 4$, the remainder is 65. What are the values of a and b ?

Solutions

- divisor: $x - 7$, remainder: 9
 - divisor: $x + 2$, remainder: 8
 - divisor: $5x - 3$, remainder: -19
 - divisor: $9x + 4$, remainder: $\frac{27}{13}$
- a. 4 b. 8 c. -18
- a. 12 b. -49 c. 59 d. 3
- a. -9 b. 15 c. -7 d. 6
- 4
- 16
- -2 and $\frac{2}{5}$
- 2 and -16